

Development of a Hierarchical Estimation Method for Anthropometric Variables



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Agenda

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- ❑ Background: ‘Flat’ Estimation Method
 - ❑ Objectives of the Study
 - ❑ Development of the Hierarchical Estimation Method
 - ❑ Comparison of Flat and Hierarchical Models
 - ❑ Discussion

Flat Regression Models

- Most regression models provided in anthropometry include only stature and/or weight as regressor(s) to estimate body dimensions.

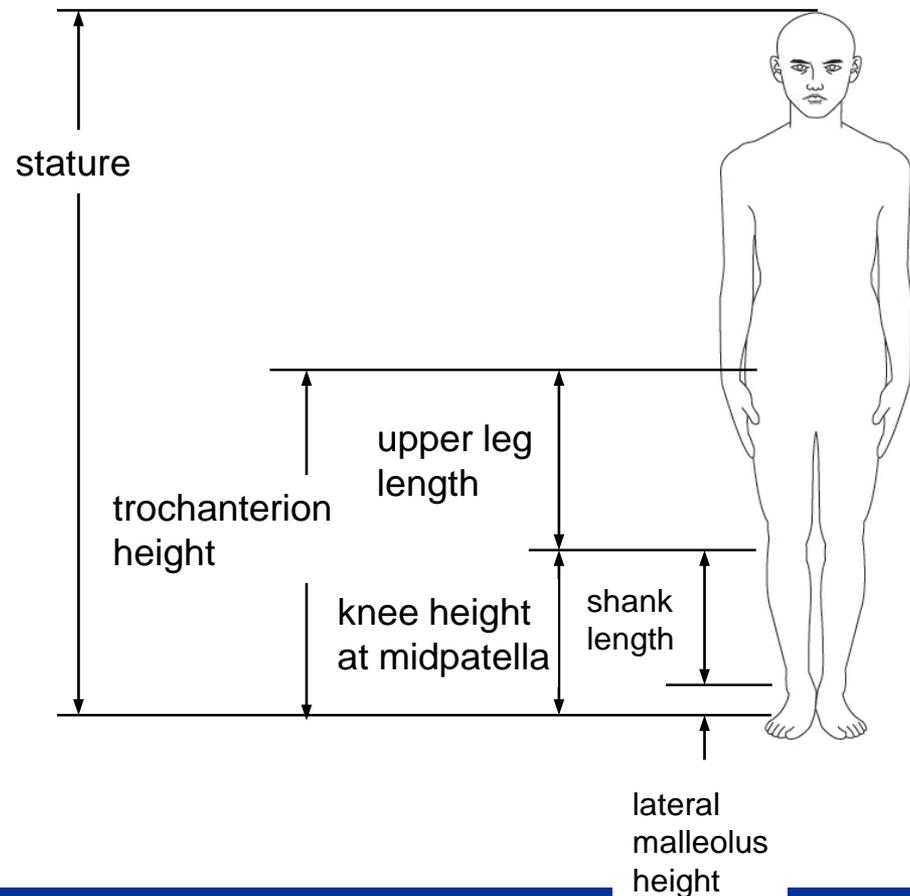
trochanterion height = $f_1(\text{stature})$

upper leg length = $f_2(\text{stature})$

knee height at midpatella = $f_3(\text{stature})$

shank length = $f_4(\text{stature})$

lateral malleolus height = $f_5(\text{stature})$



Limitation of Flat Estimation Method

- 
- ❑ Unsatisfactory estimation for an anthropometric variable having a low value of r with S and/or W.

(e.g.) biacromial breadth = $f(\text{stature})$

r	R^2	SE (cm)	SD (cm)
0.48	0.24	15.69	17.96

(1988 US Army anthropometric survey)

⇒ Resulting in low utility of regression models in estimation.

Hierarchical Estimation

- Employ different regressors in regression models in a hierarchical manner by considering the anatomical and statistical relationships between anthropometric variables.

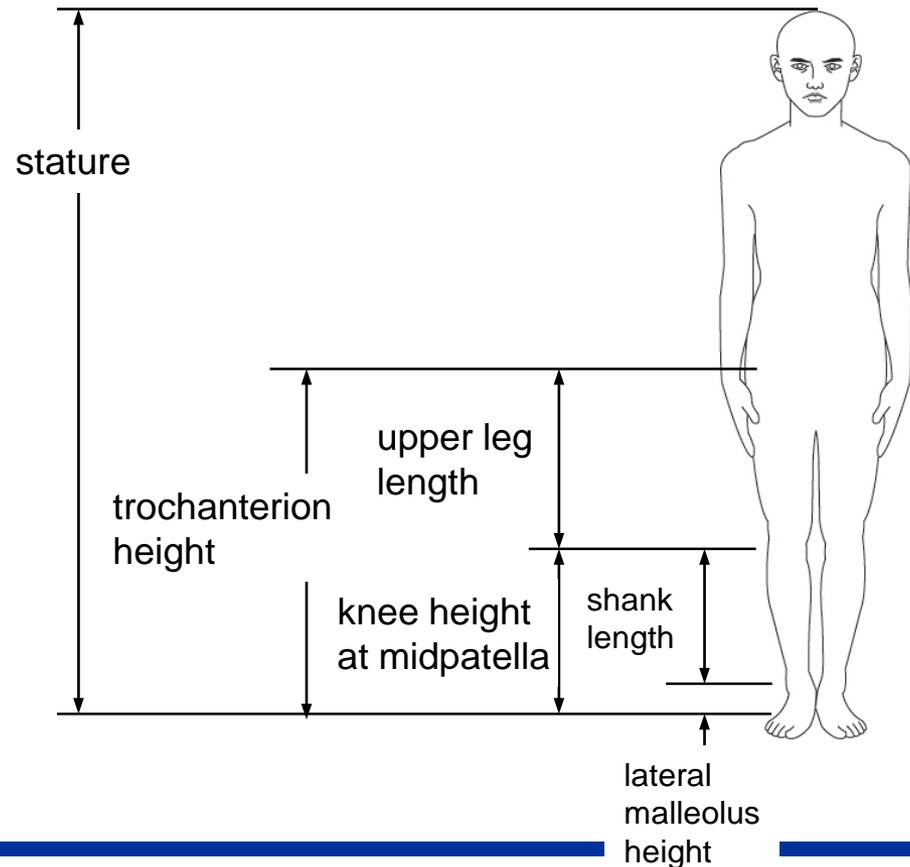
trochanterion height = $g_1(\text{stature})$

upper leg length = $g_2(\text{trochanterion height})$

knee height = $g_3(\text{trochanterion height})$

shank length = $g_4(\text{knee height})$

lateral malleolus height = $g_5(\text{knee height})$



Objectives of the Study

- 
- ❑ Develop a method to establish hierarchical regression models for anthropometric variables in a systematic manner by considering the geometric relationships of the AVs.
 - ❑ Examine the effectiveness of the hierarchical estimation method in comparison with the flat estimation method
 - ✓ 1988 US Army anthropometric survey data
 - ✓ 59 AVs selected for application to design of an occupant packaging layout

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- 4-step procedure to establish hierarchical estimation structures of anthropometric variables for regression.

S1: Grouping anthropometric variables

- (1) length/height variables
- (2) width/depth/circumference variables



S2: Analyzing geometric relationships

- (1) combinatory relationships
- (2) inclusive relationships



S3: Constructing estimation structures

- (1) length/height estimation structure
- (2) width/depth/circumference estimation structure



S4: Selecting variables for regression

S1: Grouping AVs

S1: Grouping anthropometric variables

S2: Analyzing geometric relationships

S3: Constructing estimation structures

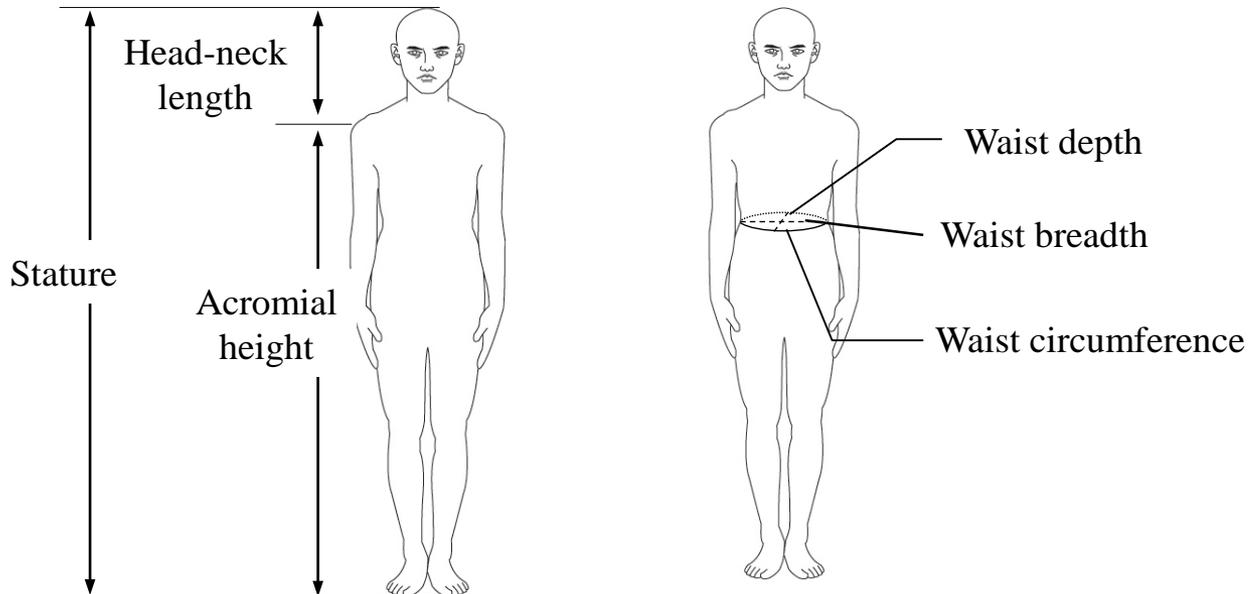
S4: Selecting variables for regression

- Group AVs under consideration into two dimensional categories:
 - (1) length/height variables
 - (2) with/depth/circumference variables
- ⇐ Length/height variables are more closely related to each other than width/depth/circumference variables and vice versa (Rosenblad-Wallin, 1987).
- ⇐ Confirmed in the present study with the US Army data.

S2: Analyzing the Geometric Relationships of AVs



Combinatory	Inclusive
A set of AVs in which one variable can be represented by a linear combination of the other variables	



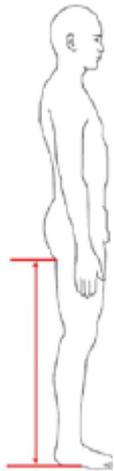
S2: Analyzing the Geometric Relationships of AVs

Combinatory

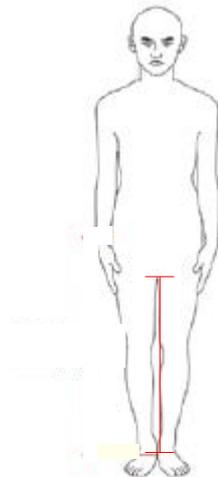
A set of AVs in which one variable can be represented by a linear combination of the other variables

Inclusive

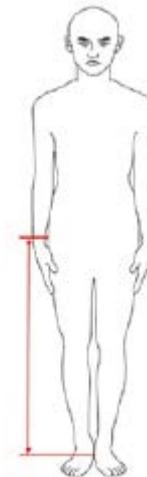
A pair of AVs in which both the variables measure the same body segment(s) but one variable measure a part of the other variable by using different landmarks and/or in different postures



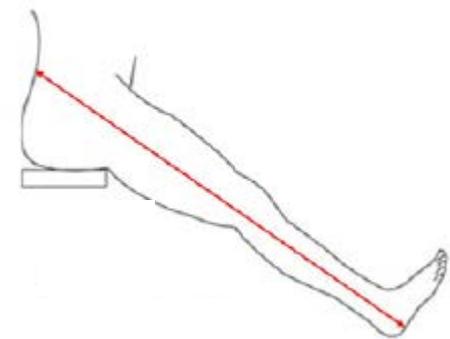
Gluteal furrow height



Crotch height



Trochanterion height



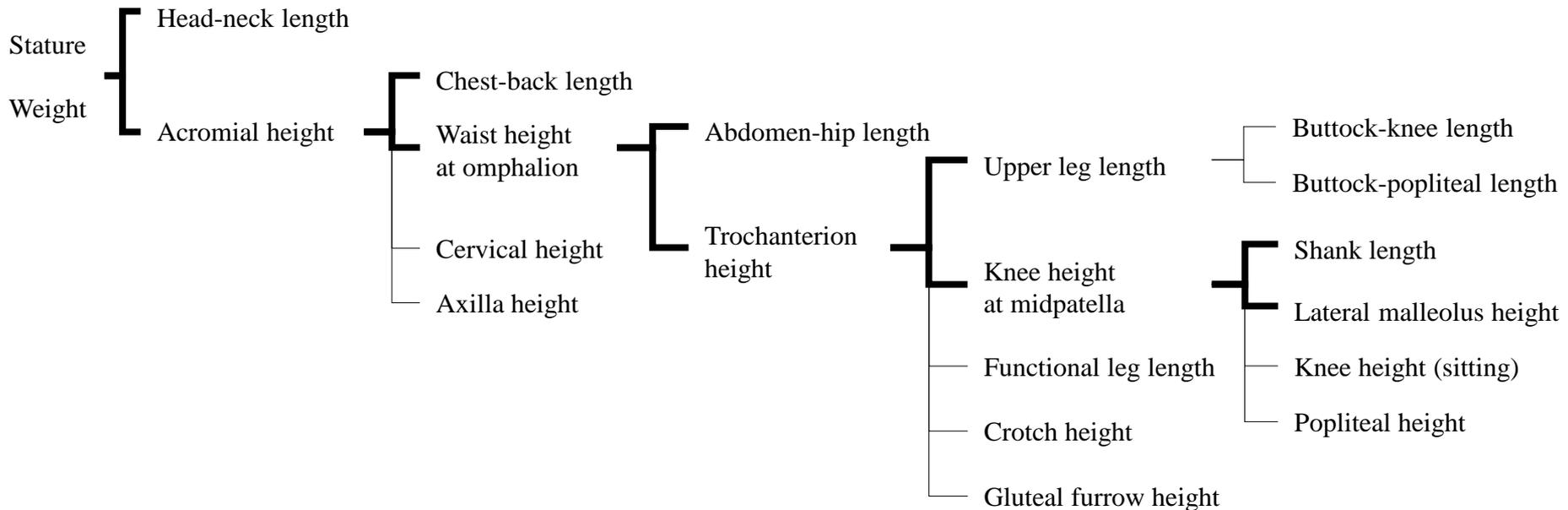
Functional leg length

Analysis of AVs: Length/Height (example)

Geometric Relationship	No	Group
Combinatory	1	stature, head-neck length, acromial height
	2	acromial height, chest-back length, waist height at omphalion
	3	waist height at omphalion, abdomen-hip length, trochanterion height
	4	trochanterion height, upper leg length, knee height at midpatella
	5	knee height at midpatella, shank length, lateral malleolus height
Inclusive	1	acromial height, cervical height
	2	acromial height, axilla height
	3	trochanterion height, functional leg length
	4	trochanterion height, crotch height
	5	trochanterion height, gluteal furrow height

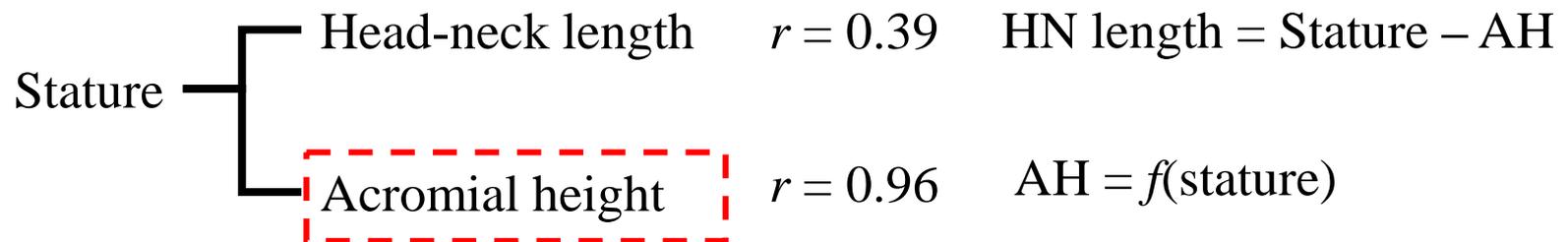
S3: Constructing Hierarchical Estimation Structures

- Hierarchical estimation structures for length/height and with/depth/circumference AVs.
- First framed with AVs in combinatory relationships and then completed by adding AVs in inclusive relationships.

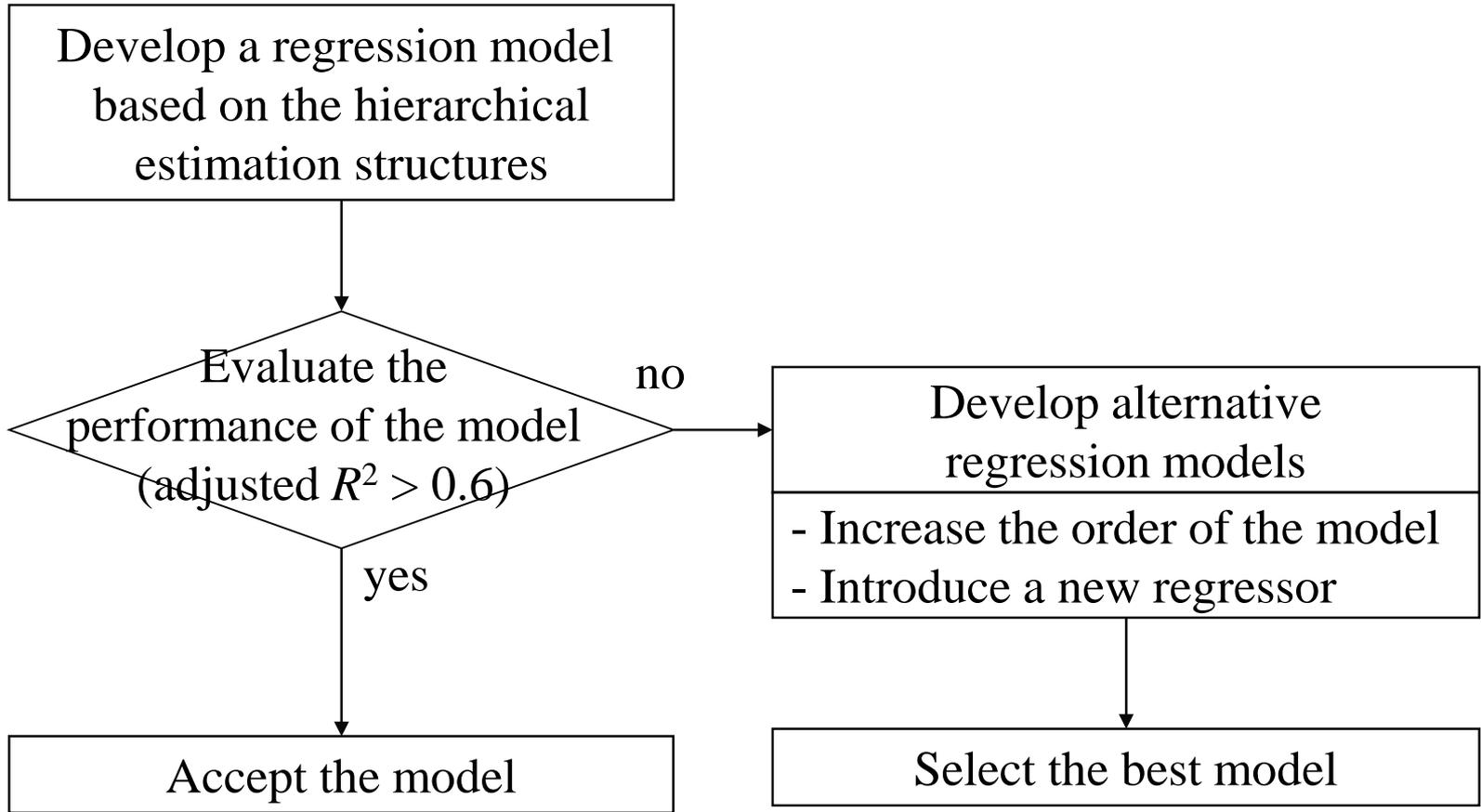


S4: Selecting AVs for Regression

- For each group of AVs in combinatory relationship, one variable is determined if the other variables are known.
- When a regressor is determined, one with a higher correlation is selected for regression and the other for estimation by the corresponding combinatory relationship.



Regression Model Development Process



Regression Model Improvement (example)



□ Models for buttock-knee length

Regressors included	adjusted R^2	Remark	Selection
Upper leg length	0.55	Based on the corresponding hierarchical estimation structure	
Upper leg length, (upper leg length) ²	0.55	Increased the order of the regressor	
Functional leg length	0.83	Introduced a new regressor	O

Hierarchical Regression Models: Trunk (example)

Dimension Type	Body Dimensions	Gender	Regression Model	SE	Adj. R^2
Length/ height	Acromial height	M	$-101.311 + 0.863 \times \text{Stature} + 0.036 \times \text{Weight}$	16.0	0.933
		F	$-86.125 + 0.859 \times \text{Stature} + 0.031 \times \text{Weight}$	14.3	0.939
	Waist height at omphalion	M	$-25.430 + 0.752 \times \text{Acromial height}$	20.5	0.838
		F	$-54.981 + 0.778 \times \text{Acromial height}$	18.9	0.851
	Axilla height	M	$-11.573 + 0.924 \times \text{Acromial height}$	9.1	0.975
		F	$-3.649 + 0.928 \times \text{Acromial height}$	8.1	0.978
Width/depth/ circumference	Bideltoid breadth	M	$395.859 - 0.039 \times \text{Stature} + 0.209 \times \text{Weight}$	13.8	0.716
		F	$331.865 - 0.026 \times \text{Stature} + 0.230 \times \text{Weight}$	13.2	0.662
	Biacromial breadth	M	$-43.067 + 0.639 \times \text{Bideltoid breadth} + 0.108 \times \text{Stature} - 0.081 \times \text{Weight}$	12.0	0.554
		F	$-63.540 + 0.682 \times \text{Bideltoid breadth} + 0.121 \times \text{Stature} - 0.107 \times \text{Weight}$	11.5	0.562

Flat vs. Hierarchical Models

- Of 54 hierarchical models, 45 models have regressors other than stature and weight.

		Performance Difference			
		Measure	Average	Min.	Max.
Better performance: 39 hierarchal models	Adjusted R^2		0.209	0.002	0.627
	SE (mm)		4.4	0.004	16.3
Lower performance: 6 hierarchal models	Adjusted R^2		0.058	0.006	0.103
	SE (mm)		1.7	0.400	3.4

Discussion

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- ❑ Developed a method which estimates AVs in a hierarchical manner based on the geometric relationships between the AVs.
 - ❑ Demonstrated that hierarchical regression models are preferred overall to flat regression models for better adequacy of fit (adj. R^2) and estimation accuracy (SE).
 - ✓ Of 45 hierarchical models, 39 models showed a 55% increase in adjusted R^2 and a 31% decrease in SE on average when compared to the corresponding flat models.

Q & A

Thank you for your attention...

